

Statistics and Finance



with the
TI-84 plus C

CALCULATORS

An advanced electronic calculator like the TI-84 could not even be imagined 50 years ago. My father was an accountant. He used a mechanical calculator for basic arithmetic. To multiply a number by 7 you turn the crank 7 times.

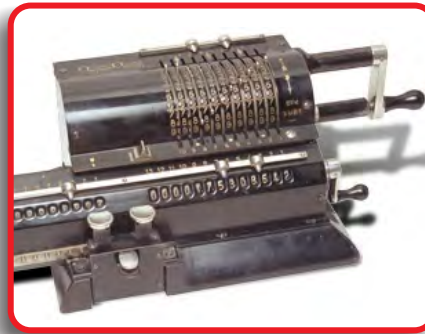
I went through college and practiced engineering on the strength of slide rules. Multiplication, division, powers, roots, logarithms, trigonometry can be calculated with 3 or 4 significant digits. Sounds limited and primitive (and it is) but everything designed and built before the seventies was accomplished mostly with slide rule calculations. This includes the rockets and space ships that went to the moon.

Mechanical calculators operate with gears and levers. The slide rule is based on very precisely engraved logarithmic scales. It takes a good eye to read (or guess) the third or fourth digit.

An electronic calculator is a totally different entity. Millions of miniaturized electronic components are interconnected to execute instructions and logical operations at extremely fast speeds. Since logic is the essence of mathematics, almost any basic mathematical operation or function can be accomplished in seconds by touching a few buttons.

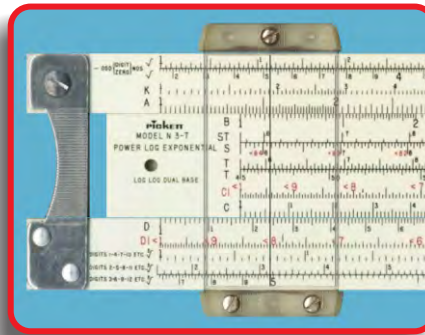
The TI-84 graphic calculator has become the 'de facto' standard calculator for current mathematics and science courses. The C version is not only more attractive because of the graphic color capability but easier to use because of its illuminated screen and higher resolution.

The TI-84 has a huge set of math functions accessible with a few strokes from the key board. The following pages offer a guide to the use of the calculator for solving many basic elemental statistic problems as well as TVM (time value of money) financial applications.



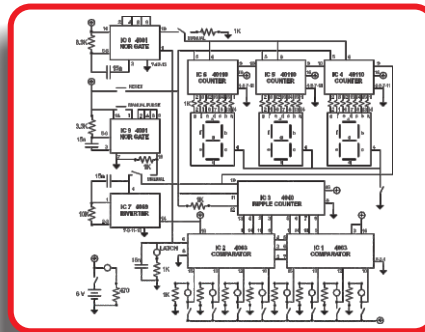
Mechanical Calculator.

A big help to add, subtract and multiply large numbers precisely. The alternative being pencil and paper.



Slide Rule.

Offers quick answers to many mathematical operations. But only gives 3 or 4 digits and the operator must calculate the decimal point separately.



Calculating Circuit

A circuit like this one for converting binary to decimal numbers is only a minuscule part of an electronic calculator system.



Binary to Decimal Converter

The number of electronic components in this circuit is of the order of 10,000; in the billions for a full calculator.

Entering and plotting data

A class of 37 students takes a math test. Enter the grades in L1 and the number of students getting each grade in L2. Show the Ogive and Histogram plots.

STAT EDIT, enter data

L1	L2	L3	L4	L5	2
95	1				
92	3				
88	1				
86	6				
85	8				
81	4				
80	10				
75	2				
69	1				
65	1				

L2(11)=

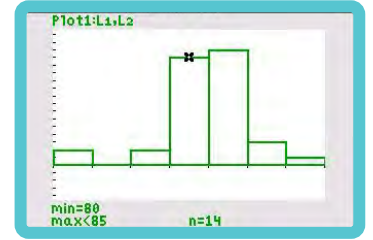
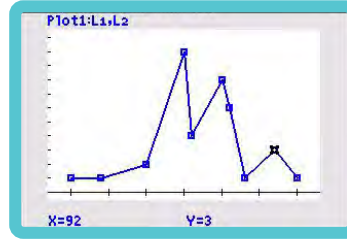
2ND STATPLOT F1

Y= ZOOM pick 9

TRACE

Plot1 Plot2 Plot3
 On Off
 Type: \square \square \square \square \square
 Xlist:L1
 Freq:L2
 Color: GREEN

OGIVE HISTGRM



S01-1 One variable stat and frequency list: math test grades.

S01-2 Stat plot configuration. Zoom screen not shown.

S01-3 Ogive plot of S01-2. Cursor shows that 3 students scored 92 on their math test.

S01-4 Histogram of S01-2. Cursor shows 14 students have grades from 80 to 85 (85 excluded).

Box plots and one variable statistics

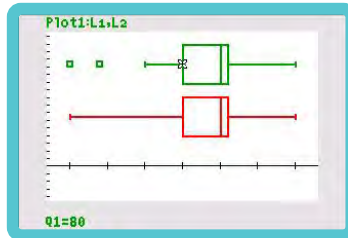
Show both box plots (with and without outliers) and the statistics measurements for the math test data.

2ND STATPLOT F1

Y= ZOOM pick 9

TRACE

START PLOTS
 1:Plot1...On
 2:Plot2...On
 3:Plot3...Off
 4:PlotsOff
 5:PlotsOn



STAT CALC, pick 1

EDIT CALC TESTS
 1:1-Var Stats
 2:2-Var Stats
 3:Med-Med
 4:LinReg(ax+b)
 5:QuadReg
 6:CubicReg
 7:QuartReg
 8:LinReg(a+bx)
 9:LnReg

ENTER (4 times)

1-Var Stats
 \bar{x} =82.78
 Σx =3063.00
 Σx^2 =254817.00
 S_x =5.89
 σ_x =5.81
 n =37.00
 $\min X$ =65.00
 $\downarrow Q_1$ =80.00
 Med=85.00
 Q_3 =86.00
 $\max X$ =95.00

S01-5 Plot 1 set to first "box plot" and 2 to the second. Data from S01-1.

S01-6 Box plots of the math test data. The first one separates the "outliers". Cursor at the first Quartile = 80.

S01-7 On the statistics calculator, choose the 1 Var Stats.

S01-8 Statistic measurements of the math test data. (use the down arrow to see the 3 items on the right).

Statistical variables symbols on S01-8

\bar{x} : mean; Σx : data sum; Σx^2 : data sum squared; S_x : sample standard deviation; σ_x : population standard deviation; n : number of data points; $\min X$: minimum x; Q_1 : first quartile; Med: median; Q_3 : third quartile; $\max X$: maximum x.

Scatter plots and paired data

Determine if the employees ages and their absences per year have a relation.

STAT EDIT, Enter data

L1	L2	L3	L4	L5	1
22	0				
25	1				
27	3				
30	4				
35	2				
42	6				
50	7				
53	8				
58	4				
65	14				

L1(1)=22

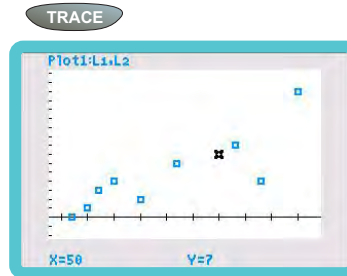
2ND STATPLOT F1

Y= ZOOM pick 9

TRACE

Plot1 Plot2 Plot3
 On Off
 Type: \square \square \square \square \square
 Xlist:L1
 Ylist:L2
 Mark: \square +
 Color: LTBLUE

SCTR PLOT



STAT CALC, pick 4

EDIT CALC TESTS
 1:1-Var Stats
 2:2-Var Stats
 3:Med-Med
 4:LinReg(ax+b)
 5:QuadReg
 6:CubicReg
 7:QuartReg
 8:LinReg(a+bx)
 9:LnReg

S01-9 Employees ages listed on L1 vs their yearly absences listed on L2.

S01-10 Select the scatter plot symbol.

S01-11 The scatter plot of data S01-9, age and absences, appear to have a direct relation.

S01-12 On the statistics calculator, choose 4 to find the best linear equation in agreement with the data.

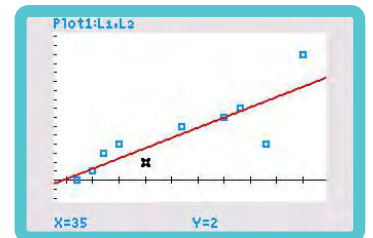
ENTER (4 times)

LinReg(ax+b)
 Xlist:L1
 Ylist:L2
 FreqList:
 Store RegEQ:Y1
 Calculate

LinReg
 $y=ax+b$
 $a=.22800$
 $b=-4.37954$

Y=

Plot1 Plot2 Plot3
 Y1 \square .228X+ -4.37954
 Y2=
 Y3=
 Y4=
 Y5=
 Y6=
 Y7=
 Y8=
 Y9=



S01-13 Store the equation on Y1

S01-14 Linear equation coefficients.

S01-15 Linear equation

S01-16 Best linear fit for the paired data.

Percentile calculation and plot

Find the percentile rank and plot of the math grade data from S01-1.

S02

STAT EDIT, enter data

2ND LIST
STAT pick 6

STAT EDIT, enter formula

ZOOM pick 9 **TRACE**

L1	L2	L3	f1	L4	L5	3
65	1	1				
69	1	2				
75	2	4				
80	10	14				
81	4	18				
85	8	26				
86	6	32				
88	1	33				
92	3	36				
95	1	37				

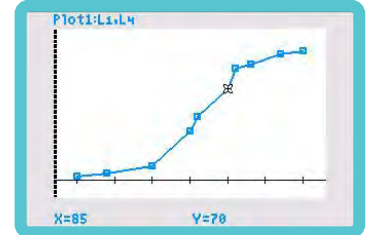
L3= "cumSum(L2)"

```

NAMES OPS MATH
1:SortA(
2:SortD(
3:dim(
4:Fill(
5:seq(
6:cumSum(
7:ΔList(
8:Select(
9:↓augment(
    
```

L4= "L3*100/sum(L2)"

L1	L2	L3	f1	L4	f1	L5	4
65	1	1	3				
69	1	2	5				
75	2	4	11				
80	10	14	38				
81	4	18	49				
85	8	26	70				
86	6	32	86				
88	1	33	89				
92	3	36	97				
95	1	37	100				



S02-1 Same L1 and L2 data of S01-1 in ascending order. Formula for L3 from next screen.

S02-2 On LIST select the cumulative sum formula.

S02-3 Add the formula shown. Sum function is on LIST-MATH-5.

S02-4 The ogive plot of L1, L4 shows the data in percentile form. An 85 grade ranks 70%.

Relative frequency - Counting

A) A car rental business tracks the number of customers (L2) that keep the cars certain number of days (L1). Determine the relative frequency (L3). B) From a group of 10 persons, how many possibilities are there: to select president, vice president and secretary (permutation); to select a committee of 3 (combination); to arrange them in a row for a group photo (factorial).

STAT EDIT, enter data

ALPHA TABLESET F2
WINDOW

MATH PROB

(use the functions)

L1	L2	L3	f1	L4	L5	3
1	8	.15385				
2	11	.21154				
3	10	.19231				
4	13	.25				
5	6	.11538				
6	3	.05769				
7	1	.01923				

L3= "L2/sum(L2)"

```

1:abs(
2:summation Σ(
3:nDeriv(
4:fnInt(
5:logBASE(
6:*J
7:nPr
8:nCr
9:!
    
```

FRAC FUNC MTRX YVAR

```

MATH NUM CMLX PROB FRAC
1:rand
2:nPr
3:nCr
4:!
5:randInt(
6:randNorm(
7:randBin(
8:randIntNoRep(
    
```

$10P_3$	720
$10C_3$	120
$10!$	3628800

S02-5 L1: number of days rented. L2: number of customers. L3: relative frequency.

S02-6 Three counting functions in the panel. Permutation, combination and factorial.

S02-7 The counting functions also on the MATH-PROB menu.

S02-8 Counting results.

Binomial probability distribution

A factory makes candies in several colors, 15% of the candies produced are red. If you pick 8 at random, what is the probability of getting exactly two red candies? Show the probabilities table.

2ND DISTR
VARS pick A

STAT EDIT

```

DISTR DRAW
8:1-X^2cdf(
9:Fpdf(
0:Fcdf(
A:binomPdf(
B:binomcdf(
C:PoissonPdf(
D:Poissoncdf(
E:geometPdf(
F:geometcdf(
    
```

```

binomPdf
trials:8
p:.15
x value:2
Paste
    
```

```

binomPdf(8,.15,2)
.....23760
    
```

L1	L2	f1	L3	L4	L5	2
0	.27249					
1	.38469					
2	.2376					
3	.08386					
4	.0185					
5	.00261					
6	2.3E-4					
7	1.2E-5					
8	2.6E-7					

L2= "binomPdf(8,.15,L1)"

S02-9 Probability of a certain exact number.

S02-10 Enter the values.

S02-11 The probability of getting exactly 2 red candies is 23.8%.

S02-12 Enter 0 to 8 in L1 and function from DISTR-A in L2.

Binomial cumulative probability distribution

If 15% of the candies are red and you pick 8 at random. What is the probability of getting 2 or less red candies? What is the probability of getting more than 2 red candies? Show the probabilities table.

2ND DISTR
VARS pick B

```

DISTR DRAW
8:1-X^2cdf(
9:Fpdf(
0:Fcdf(
A:binomPdf(
B:binomcdf(
C:PoissonPdf(
D:Poissoncdf(
E:geometPdf(
F:geometcdf(
    
```

```

binomcdf
trials:8
p:.15
x value:2
Paste
    
```

```

binomcdf(8,.15,2)
.....89479
1-.89479
.....10521
    
```

L1	L2	f1	L3	f1	L4	L5	3
0	.27249		.72751				
1	.65718		.34282				
2	.89479		.10521				
3	.97865		.02135				
4	.99715		.00285				
5	.99976		2.4E-4				
6	.99999		1.2E-5				
7	1		2.6E-7				
8	1		0				

L3= "1-L2"

S02-13 Cumulative probability (from 0 to a number).

S02-14 Enter the values.

S02-15 Probability of 2 or less: 89.5%. Probability of more than 2: 10.5%.

S02-16 Function from DISTR-B in L2.

Standard normal distribution

Find the probability of a z value between -.3 and 1.2. Show the plot.

S03

2ND DISTR

VARS

pick 2

```
DISTR DRAW
1:normalpdf(
2:normalcdf(
3:invNorm(
4:invT(
5:tpdf(
6:tcdf(
7:X^2pdf(
8:X^2cdf(
9:Fpdf(
```

S03-1 On the DISTR menu choose the normal cumulative distribution.

normalcdf

```
lower: -.3
upper: 1.2
μ: 0
σ: 1
Paste
```

S03-2 Enter the values.

```
normalcdf(-.3,1.2,0,1)
.....5028416264
```

S03-3 The probability of z being between -.3 and 1.1 is 50.3%.

WINDOW

```
WINDOW
Xmin=-3
Xmax=3
Xscl=.5
Ymin=0
Ymax=.5
Yscl=.05
Xres=1
ΔX=.022727272727272
TraceStep=.04545454545454
```

S03-4 Enter the window settings as shown.

2ND FORMAT F3

ZOOM

```
RectGC PolarGC
CoordOn CoordOff
GridOff GridDot GridLine
GridColor: LTGRAY
Axes: BLACK
LabelOff LabelOn
ExprOn ExprOff
BorderColor: 1
Background: Off
Detect Asymptotes: On Off
```

S03-5 Format the plot as shown.

2ND DISTR

VARS

DRAW pick 1

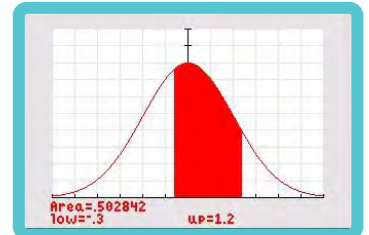
```
DISTR DRAW
1:ShadeNorm(
2:Shade_t(
3:ShadeX^2(
4:ShadeF(
```

S03-6 Choose the shade normal plot.

ShadeNorm

```
lower: -.3
upper: 1.2
μ: 0
σ: 1
Color: RED
Draw
```

S03-7 Enter the values.



S03-8 The shaded area corresponds to the z probability of 50.3%.

Normal distribution

Houses in the Woodlands development list for an average price of \$280,000 with a standard deviation of \$60,000. What is the probability of finding a house for less than \$200,000? One between \$230,000 and \$270,000? Show a plot.

2ND DISTR

VARS

pick A

```
normalcdf(0,200,280,60)
.....0912097495
normalcdf(230,270,280,60)
.....2314878375
```

S03-9 Insert values (in \$1000) as in S03-2. $P(<200)=9.1\%$. $P(230<V<270)=23.1\%$

WINDOW

```
WINDOW
Xmin=0
Xmax=500
Xscl=50
Ymin=0
Ymax=.008
Yscl=.001
Xres=1
ΔX=1.8939393939394
TraceStep=3.7878787878788
```

S03-10 Set Xmax to about 2μ . For Ymax try $1/(2\sigma)$.

2ND DISTR

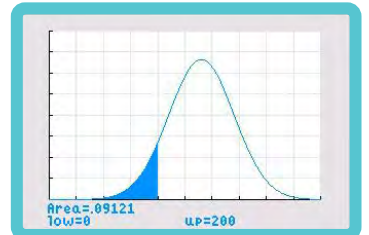
VARS

DRAW pick 1

ShadeNorm

```
lower: 0
upper: 200
μ: 280
σ: 60
Color: LTBLUE
Draw
```

S03-11 Enter the values (in \$1,000).



S03-12 The probability of finding a house for less than \$200,000 is 9.1%.

Normal distribution (count)

A police department answers emergency calls in 7 minutes average, with a standard deviation of 3 minutes. Out of 80 calls, how many are likely to be answered in less than 4 minutes? in more than 8 minutes? Show a plot.

2ND DISTR

VARS

pick 2

```
DISTR DRAW
1:normalpdf(
2:normalcdf(
3:invNorm(
4:invT(
5:tpdf(
6:tcdf(
7:X^2pdf(
8:X^2cdf(
9:Fpdf(
```

S03-13 Select normal cumulative distribution.

normalcdf

```
lower: 0
upper: 4
μ: 7
σ: 3
Paste
```

S03-14 Enter the values.

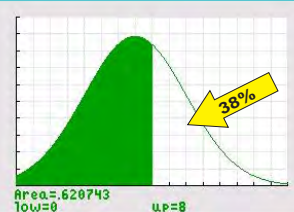
```
normalcdf(0,4,7,3)
.....1488399527
Ans*80
.....11,90719622
1-normalcdf(0,8,7,3)
.....3792567105
Ans*80
.....30,34053684
```

S03-15 Out of 80 calls, 12 are answered in less than 4 minutes and 30 in more than 8 minutes.

2ND DISTR

VARS

DRAW, pick 1



S03-16 62% (50) of the calls were answered in less than 8 minutes, 38% (30) in more than 8 minutes.

Inverse standard normal distribution

Find the z value for a standard probability of 30% and for a probability of 75%. Verify with a plot.

S04

2ND **DISTR**
VAR pick 3

```
DISTR DRAW
1:normalpdf(
2:normalcdf(
3:invNorm(
4:invT(
5:tpdf(
6:tcdf(
7:χ²pdf(
8:χ²cdf(
9:∇pdf(
```

S04-1 On the DISTR menu choose the inverse normal distribution.

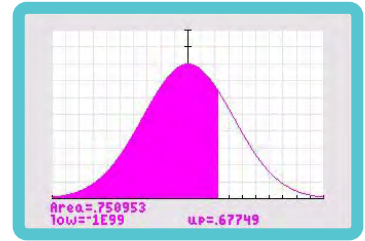
```
invNorm
area: .3
μ: 0
σ: 1
Paste
```

S04-2 Enter the probability (area).

```
invNorm(.3,0,1)
.....-.524401
invNorm(.75,0,1)
......674490
```

S04-3 The z value for 30% probability is $-.52440$, for 75% is $.67449$.

2ND **DISTR**
VAR **DRAW**, pick 1



S04-4 A z value of $.67449$ corresponds to 75% probability.

Inverse normal distribution

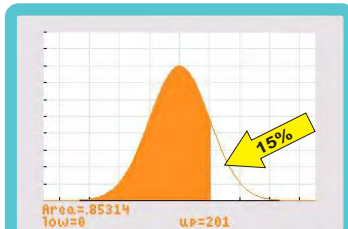
A) To qualify for a military academy, applicants must score in the top 15% of the entrance test. The test mean is 180 and the standard deviation is 20. Find the lowest score to qualify. B) Used cars average price is \$8,500, standard deviation \$1120. Find the prices that bracket the middle 60%. Show the plots.

2ND **DISTR**
VAR pick 3

```
invNorm(.85,180,20)
.....200.72867
```

S04-5 Enter $.85$ ($1.00 - .15$) as area. The score must be at least 201 to qualify.

2ND **DISTR**
VAR **DRAW**, pick 1



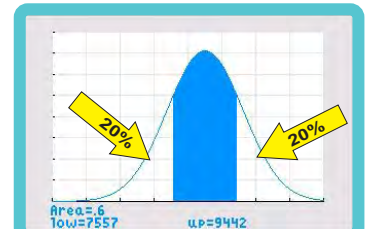
S04-6 A test score of 201 or more is in the top 15%.

2ND **DISTR**
VAR pick 3

```
invNorm(.2,8500,1120)
.....7557.38422
invNorm(.8,8500,1120)
.....9442.61578
```

S04-7 The middle $.6$ is between $.2$ and $.8$. The bracketing prices are $\$7,557$ and $\$9,442$.

2ND **DISTR**
VAR **DRAW**, pick 1



S04-8 The shaded area between the bracketing prices is 60%.

Determining normality.

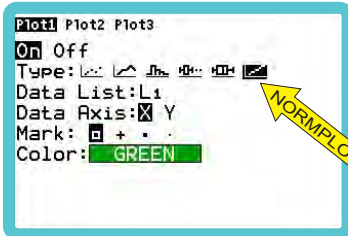
The credit card debt of 30 families is listed on L1. The frequency is listed on L2. Is this data approximately a normal distribution?

STAT **EDIT**, enter data

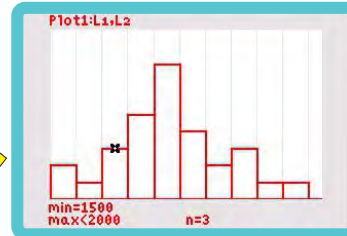
L1	L2	L3	L4	L5	2
500.00	2.000				
1000.0	1.000				
1500.0	3.000				
2000.0	5.000				
2500.0	8.000				
3000.0	4.000				
3500.0	2.000				
4000.0	3.000				
4500.0	1.000				
5000.0	1.000				

S04-9 Insert values.

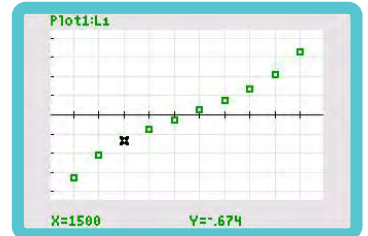
2ND **STATPLOT** F1
Y=



S04-10 First select the histogram plot, then the NormProbPlot.



S04-11 The histogram approximates a bell shape indicating a normal distribution.



S04-12 The normprobplot is approximately linear, confirming that the distribution is normal.

Confidence interval z, stats

A) A realtor has 40 houses in inventory, the sample mean time is 90 days, the population σ is 15 days. Find the population mean interval with a 95% confidence. B) with a 99% confidence.

STAT **TESTS**, pick 7

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...
```

S04-13 Select Z interval.

```
ZInterval
Inpt:Data Stats
σ:15
x̄:90
n:40
C-Level:.95
Calculate
```

S04-14 Select stats and enter the values.

```
ZInterval
(85.4,94.6)
x̄=90.0
n=40.0
```

S04-15 With 95% confidence the population mean interval is $85.4 < \mu < 94.6$.

```
ZInterval
(83.9,96.1)
x̄=90.0
n=40.0
```

S04-16 With 99% confidence the population mean interval is $83.9 < \mu < 96.1$.

Confidence interval z, data

A sample of 41 freshman SAT scores are listed in L1 with frequency in L2. The population standard deviation is known to be .51. Find the population mean interval with a 99% confidence level

S05

STAT EDIT, Enter data

L1	L2	L3	L4	L5	2
2.0	2.0				
2.1	1.0				
2.4	5.0				
2.5	3.0				
2.8	9.0				
2.9	11.0				
3.1	3.0				
3.2	5.0				
3.5	1.0				
3.8	1.0				

L2(1)=2

S05-1 Enter SAT scores in L1 and frequency in L2.

STAT TESTS, pick 7

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9↓2-SampZInt...
```

S05-2 Select the z interval.

```
ZInterval
Inpt:Data Stats
σ: .51
List:L1
Freq:L2
C-Level: .99
Calculate
```

S05-3 Select data and enter values.

```
ZInterval
(2.61,3.02)
x̄=2.81
Sx=.37
n=41.00
```

S05-4 With 99% confidence the pop. mean interval is $2.61 < \mu < 3.02$.

Confidence interval t, stats

A sample of 8 college wrestlers weight an average of 270 lbs with a sample standard deviation of 13 lbs. A) Find the mean weight of all college wrestlers with a confidence interval of 90%. B) With 98%.

STAT TESTS, pick 8

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9↓2-SampZInt...
```

S05-5 Select the t interval.

```
TInterval
Inpt:Data Stats
x̄:270
Sx:13
n:8
C-Level: .9
Calculate
```

S05-6 Select stats and enter values.

```
TInterval
(261,279)
x̄=270
Sx=13
n=8
```

S05-7 With 90% confidence the pop. mean interval is $261 < \mu < 279$.

```
TInterval
(256,284)
x̄=270
Sx=13
n=8
```

S05-8 With 98% confidence the pop. mean interval is $256 < \mu < 284$.

Confidence interval t, data

The prices of ten cameras of different brands, all with the same features are listed on L1. Find with 95% confidence the interval of the true mean.

STAT EDIT, enter data

L1	L2	L3	L4	L5	2
250.00					
230.00					
210.00					
240.00					
215.00					
193.00					
225.00					
205.00					
195.00					
220.00					

L2(1)=

S05-9 Insert values.

STAT TESTS, pick 8

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9↓2-SampZInt...
```

S05-10 Select the t interval.

```
TInterval
Inpt:Data Stats
List:L1
Freq:1
C-Level: .95
Calculate
```

S05-11 Select data and enter values.

```
TInterval
(205,232)
x̄=218
Sx=19
n=10
```

S05-12 The 95% confidence interval of the true mean is $205 < \mu < 232$.

Proportion confidence interval

A) A survey of 280 people found that 125 voted in the last election. Estimate the true proportion of voters with 95% confidence. B) A survey of 256 medical doctors found that 25% of them were women. Estimate the true proportion of women doctors with 95% confidence. (Convert the percentage to an integer to enter in "x")

STAT TESTS, pick A

```
EDIT CALC TESTS
0↑1-SampTInt...
A:1-PropZInt...
B:2-PropZInt...
C:χ²-Test...
D:χ²GOF-Test...
E:2-SampTTest...
F:LinRegTTest...
G:LinRegTInt...
H:ANOVA(
```

S05-13 Select the 1 proportion interval.

```
1-PropZInt
x:125
n:280
C-Level: .95
Calculate
```

S05-14 Enter the values.

```
1-PropZInt
(.388,.505)
p̂=.446
n=280.000
```

S05-15 With 95% confidence the percentage of voters is between 39% and 51%.

```
1-PropZInt
(.197,.303)
p̂=.250
n=256.000
```

S05-16 With 95% confidence the proportion of women doctors is between 20% and 30%.

Hypothesis testing

Obtain the z values for one tail $\alpha = .1$ and one tail $\alpha = .025$. Draw the plot for two tails $\alpha = .10$.

	Ho true	Ho false
Do not reject Ho	Correct decision	Type II Error $P(II) = \beta$
Reject Ho (power)	Type I Error $P(I) = \alpha$	Correct decision

CRITICAL VALUES					
Confidence intervals	80%	90%	95%	98%	99%
One tail α	0.10	0.05	0.025	0.01	0.005
Two tails α	0.20	0.10	0.05	0.02	0.01
Z values	1.282	1.645	1.960	2.326	2.576

S06

2ND DISTR
VARS pick 3

```
invNorm
area: .1
μ: 0
σ: 1
Paste
```

S06-1 Enter the values.

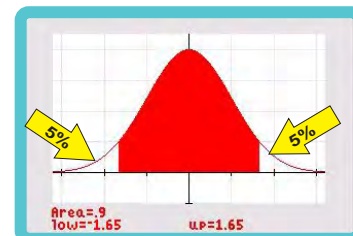
```
invNorm(.1,0,1)
invNorm(.025,0,1)
```

S06-2 Z values shown negative because they are on the left side.

2ND DISTR
VARS DRAW

```
ShadeNorm
lower: -1.65
upper: 1.65
μ: 0
σ: 1
Color: RED
Draw
```

S06-3 Enter the z values.



S06-4 Plot for 90% interval. Two tails $\alpha = .10$

Hypothesis test for μ and z distribution, one tail

A group of 30 teachers mean salary is \$43,260. At $\alpha = .05$ test the claim that they earn more than the population mean of \$42,000 with $\sigma = \$5,230$. Show the plot.

STAT TESTS, pick 1

STAT TESTS, pick 7

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...
```

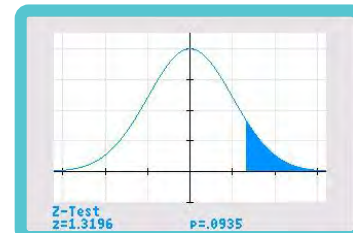
S06-5 Select the z test.

```
Z-Test
Inpt:Data Stats
μ₀: 42000
σ: 5230
x̄: 43260
n: 30
μ: ≠ μ₀ < μ₀ > μ₀
Color: BLUE
Calculate Draw
```

S06-6 Enter the stats values, select calculate. Then repeat and select draw.

```
Z-Test
μ > 42000
z = 1.319561037
p = .0934908728
x̄ = 43260
n = 30
```

S06-7 Do not reject the null hypothesis that $\mu = \$42,000$ because $p > .05$ or $z < 1.65$.



S06-8 Plot confirms the p and z values.

Hypothesis test for μ and z distribution, two tails

The mean May temperature in Pensacola is claimed to be 78°F with $\sigma = 8^\circ\text{F}$. The average of 31 May 2013 measurements is 81°F. At $\alpha = .05$ is there enough evidence to reject the claim?

STAT TEST, pick 1

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...
```

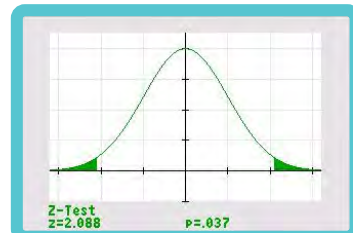
S06-9 Select the z test.

```
Z-Test
Inpt:Data Stats
μ₀: 78
σ: 8
x̄: 81
n: 31
μ: ≠ μ₀ < μ₀ > μ₀
Color: GREEN
Calculate Draw
```

S06-10 Enter the values.

```
Z-Test
μ ≠ 78.000
z = 2.088
p = .037
x̄ = 81.000
n = 31.000
```

S06-11 Reject the claim that $\mu = 78^\circ\text{F}$ because $p < .05$ or $z > 1.96$.



S06-12 Plot confirms the p and z values.

Hypothesis test for t distribution

A) A daycare worker claims her \$60 a day pay is less than other daycare places in the state. L1 lists pay at 8 daycare places in the state. At $\alpha = .10$ is there evidence to support the claim? Find the t test value.

2ND DISTR
VARS pick 4

STAT EDIT

STAT TEST, pick 2

```
invT(.1,7)
-1.415
```

S06-13 Select inverse t and enter values. The t test value for $\alpha = .10$ is -1.42.

L1	L2	L3	L4	L5	1
50					
56					
60					
55					
70					
55					
60					
55					

L1(9)=					

S06-14 Enter the values.

```
T-Test
Inpt:Data Stats
μ₀: 60
List: L1
Freq: 1
μ: ≠ μ₀ < μ₀ > μ₀
Color: ORANGE
Calculate Draw
```

S06-15 Select data and make entries as shown.

```
T-Test
μ > 60.000
t = -.626
p = .724
x̄ = 58.875
Sx = 5.083
n = 8.000
```

S06-16 Do not reject the claim. T is to the right of the test value and $p > \alpha$.

Z test for a proportion

A cable company estimates that 40% of its customers subscribe to telephone service. A sample of 200 customers found that 74 have telephone service. At $\alpha = .05$, is there enough evidence to reject the estimate? Show the plot.

S07

STAT TESTS, pick 5

EDIT CALC **TESTS**

1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...

S07-1 Select one proportion z test.

1-PropZTest

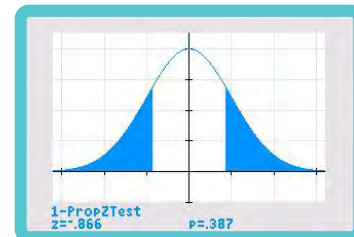
P0: .4
x: 74
n: 200
PROP: P_0 < P_0 > P_0
Color: **LTBLUE**
Calculate Draw

S07-2 Enter the stats values, select calculate. Then repeat and select draw.

1-PropZTest

Prop#: .400
z = -.866
p = .386
 \hat{p} = .370
n = 200.000

S07-3 Do not reject the estimate. $z < 1.96$ and $p > .05$.



S07-4 Plot confirms the results.

Difference between two means, z test

The average hotel room rate in Dallas is \$92.28 at $\sigma = \$7.25$. The average rate in Houston is \$89.12 at $\sigma = \$5.98$. At $\alpha = .05$, are the rates significantly different? Show the plot.

STAT TESTS, pick 3

EDIT CALC **TESTS**

1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...

S07-5 Select the 2 sample z test.

2-SampZTest

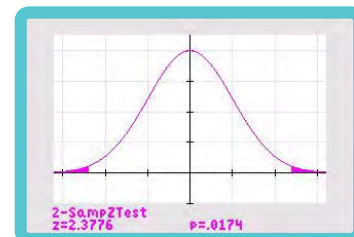
Inpt: Data **Stats**
 σ_1 : 7.25
 σ_2 : 5.98
 \bar{x}_1 : 92.28
n1: 50
 \bar{x}_2 : 89.12
n2: 50
 μ_1 : $\neq \mu_2$ < μ_2 > μ_2
Color: **MAGENTA**

S07-6 Enter the stats values, select calculate. Then repeat and select draw.

2-SampZTest

$\mu_1 \neq \mu_2$
z = 2.377581565
p = .0174265644
 \bar{x}_1 = 92.28
 \bar{x}_2 = 89.12
n1 = 50
n2 = 50

S07-7 There is significant difference between the rates because $p < .05$ or $z > 1.96$.



S07-8 Plot confirms the p and z values.

Interval between two means, z test

On the same problem above (S07-5...) find the 95% confidence interval between the two means. Repeat the calculation with 99% confidence.

STAT TEST, pick 9

EDIT CALC **TESTS**

1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...

S07-9 Select the 2 sample z interval.

2-SampZInt

Inpt: Data **Stats**
 σ_1 : 7.25
 σ_2 : 5.98
 \bar{x}_1 : 92.28
n1: 50
 \bar{x}_2 : 89.12
n2: 50
C-Level: .95
Calculate

S07-10 Enter the values, first with .95 confidence level, then .99.

2-SampZInt

(.55505, 5.765)
 \bar{x}_1 = 92.28
 \bar{x}_2 = 89.12
n1 = 50
n2 = 50

S07-11 With 95% confidence, the rates are different because "0" is not in the interval.

2-SampZInt

(-.2635, 6.5835)
 \bar{x}_1 = 92.28
 \bar{x}_2 = 89.12
n1 = 50
n2 = 50

S07-12 With 99% confidence, the rates are not different because "0" is in the interval.

Difference between two means, t test

A sample of the highest scorers of the NHL Eastern Conference is listed in L1. Similarly for the Western Conference in L2. At $\alpha = .05$, is there a difference in the means of these data? Show the plot.

STAT EDIT

L1	L2	L3	L4	L5	2
83	77				
78	37				
62	61				
60	59				
59	57				
61	72				
75	66				
70	58				
58	55				
58					
58					

L2(L1)=

S07-13 Enter data.

STAT TEST, pick 4

2-SampTTest

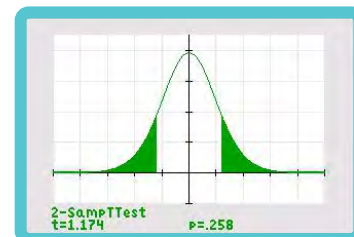
Inpt: Data **Stats**
List1: L1
List2: L2
Freq1: 1
Freq2: 1
 μ_1 : $\neq \mu_2$ < μ_2 > μ_2
Pooled: **No** Yes
Color: **GREEN**
Calculate Draw

S07-14 Select data. First calculate, then draw. Not pooled means the variances are not equal.

2-SampTTest

$\mu_1 \neq \mu_2$
t = 1.174
p = .258
df = 15.244
 \bar{x}_1 = 65.727
 \bar{x}_2 = 60.222
Sx1 = 9.122
Sx2 = 11.388

S07-15 At $\alpha = .05$ it can not be concluded that the means are different. p value $> .05$



S07-16 Plot confirms the claim. Critical t value (from tables) is $2.37 > 1.17$

Difference of dependent samples, t test (or match pair test)

A new strength enhancing vitamin is tested in a group of athletes. The number of pounds they lift before (L1) and after (L2) is recorded. The difference is tabulated in L3. At $\alpha = .05$ is there evidence that the athletes are stronger after taking the vitamin? Show the plot.

STAT EDIT

L1	L2	L3	L4	L5	3
210	219	-9			
230	236	-6			
182	179	3			
205	204	1			
262	270	-8			
253	250	3			
219	222	-3			
216	216	0			

L3="L1-L2"

S08-1 Insert the data in L1 and L2. The formula in L3 gives the difference.

STAT TEST pick 2

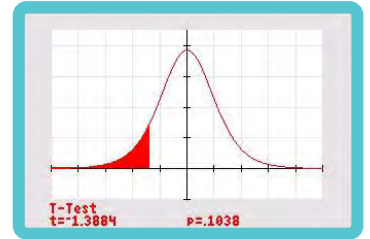
```
T-Test
Inpt:Data Stats
μ₀:0
List:L3
Freq:1
μ:≠μ₀ <μ₀ >μ₀
Color: RED
Calculate Draw
```

S08-2 Enter data, select calculate. Then repeat and select draw.

T-Test

```
μ<0
t=-1.388357386
P=.103802496
x̄=-2.375
Sx=4.838461975
n=8
```

S08-3 Do not reject the null hypothesis. $t < 1.89$ (invT at 95% and df: 7) and $p > .05$.



S08-4 Plot confirms the results. There is no difference before and after.

Interval between two means, t test

On the same problem above (S08-1...) find the confidence interval at 95% and at 75%.

STAT TESTS, pick 8

```
TInterval
Inpt:Data Stats
List:L3
Freq:1
C-Level:.95
Calculate
```

S08-5 Enter values, and 95% confidence.

STAT TESTS, pick 8

```
TInterval
(-6.42, 1.6701)
x̄=-2.375
Sx=4.838461975
n=8
```

S08-6 Zero is included in the interval. At 95% confidence there is no difference between the means.

```
TInterval
Inpt:Data Stats
List:L3
Freq:1
C-Level:.75
Calculate
```

S08-7 Enter values, and 75% confidence.

```
TInterval
(-4.521, -.2294)
x̄=-2.375
Sx=4.838461975
n=8
```

S08-8 Zero is not included in the interval. At 75% confidence it can be concluded that the means are different.

Difference between two proportions, z test

A company plant in the city reports 35 out of 190 workers missed work due to illness while at the plant in the countryside the proportion is 12 out of 80. At 95% confidence, is there a difference in illness absences between the two plants?

STAT TEST, pick 6

```
EDIT CALC TESTS
1:Z-Test...
2:T-Test...
3:2-SampZTest...
4:2-SampTTest...
5:1-PropZTest...
6:2-PropZTest...
7:ZInterval...
8:TInterval...
9:2-SampZInt...
```

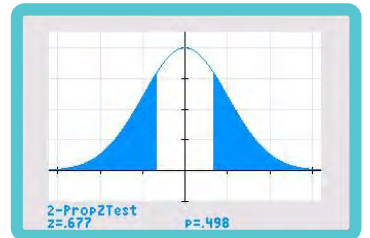
S08-9 Select the 2 proportion z test.

```
2-PropZTest
x1:35
n1:190
x2:12
n2:80
p1:≠p2 <p2 >p2
Color: LTBLEU
Calculate Draw
```

S08-10 Enter the values, first calculate, then draw.

```
2-PropZTest
P1≠P2
Z=.677
P=.498
p̂1=.184
p̂2=.150
p̂=.174
n1=190.000
n2=80.000
```

S08-11 With 95% confidence, there is no difference between the two plants. $z < 1.96$ and $p > .05$.



S08-12 The plot confirms the result

Difference between two variances, F test

A business analysts claims that the variance in the number of passengers at bus stations in New York (L1, in thousands) is greater than the variance at bus stations in California (L2). At $\alpha = .10$, is there enough evidence to support the claim?

STAT EDIT

L1	L2	L3	L4	L5	2
61.2	42.7				
40.1	60.7				
73.5	51.2				
68.5	38.6				
72.4					
36.8					

L2(S)=

S08-13 Enter data.

STAT TEST, pick E

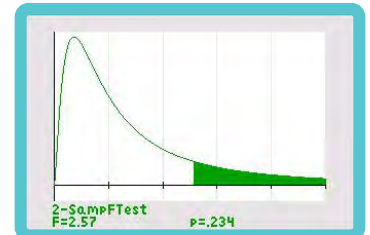
```
2-SampFTest
Inpt:Data Stats
List1:L1
List2:L2
Freq1:1
Freq2:1
σ1:≠σ2 <σ2 >σ2
Color: GREEN
Calculate Draw
```

S08-14 Select data. First calculate, then draw.

2-SampFTest

```
σ1>σ2
F=2.570
P=.234
Sx1=15.697
Sx2=9.791
x1=57.417
x2=48.300
n1=6.000
```

S08-15 At $\alpha = .10$ it can not be concluded that the variances are different. p value $> .10$.



S08-16 Plot confirms that the claim is not supported. p value $.234 > .10$.

χ^2 pdf distribution

Plot the χ^2 probability density function (pdf) distributions for the following degrees of freedom: 2, 4, 9, 16.

S09

Y =

2ND DISTR
VARS pick 7

X,T,θ,n

TRACE

S09-1 Paste each function from the following S09-3 screen.

S09-2 Select the χ^2 pdf

S09-3 Enter the independent variable X and the df value.

S09-4 Plots of χ^2 pdf at various degrees of freedom.

χ^2 cdf distribution probability

Find and plot the χ^2 distribution probability between $\chi^2 = 7.261$ and $\chi^2 = 24.996$ with 15 degrees of freedom.

2ND DISTR
VARS DISTR pick 8

2ND DISTR
VARS DRAW pick 3

S09-5 Enter values.

S09-6 The values given provide a variance distribution probability of 90%.

S09-7 Enter the values.

S09-8 χ^2 distribution plot.

χ^2 GOF (goodness of fit) test

A survey of 300 flights found that 206 arrived on time and the rest were delayed: 38 (weather), 30 (system), 14 (crew) and 12 (maintenance). These are listed in L1. The related government percentages are listed on L2. With 90% certainty, test the claim that the survey and the government percentages are the same. Show the plot.

STAT EDIT

STAT TEST pick D

S09-9 Enter data.

S09-10 Enter the values, first calculate, then draw.

S09-11 With 90% confidence, there is no difference between the two statistics. $p = .285 > .10$.

S09-12 The plot confirms the result.

χ^2 independence or homogeneity test

A store sells 3 types of music records: pop, classical and country. The manager keeps track of the sales during 3 consecutive years. The matrix columns correspond to the type of music and the rows to the yearly sales. With 90% confidence, is the music type sales related to the year?

2ND MATRIX
X⁻¹ EDIT pick 1

STAT TEST, pick C

S09-13 Enter data on matrix [A].

S09-14 First calculate, then draw. Matrix [B] is generated automatically from [A].

S09-15 At $\alpha = .10$ it can not be concluded that the sales vary by year. p value $> .10$.

S09-16 Plot confirms that there is no relation between sales and year. p value $.568 > .10$.

Analysis of variance (ANOVA)

Three different blood pressure reduction medicines are tested on 3 random groups. The reductions are tabulated. At $\alpha = .05$ test the claim that there is no difference among the means.

S10

STAT EDIT

L1	L2	L3	L4	L5	L6
10	6	5			
12	8	9			
9	3	12			
15	0	8			
13	2	4			

S10-1 Enter data.

STAT TEST pick H

```

EDIT CALC TESTS
0↑2-SampTInt...
A:1-PropZInt...
B:2-PropZInt...
C:χ²-Test...
D:χ²GOF-Test...
E:2-SampFTest...
F:LinRegTTest...
G:LinRegTInt...
H:ANOVA(
    
```

S10-2 Select ANOVA.

```

ANOVA(L1,L2,L3)
    
```

S10-3 Enter the lists.

```

One-way ANOVA
F=9.168
p=.004
Factor
df=2.000
SS=160.133
MS=80.067
Error
df=12.000
SS=104.800
MS=8.733
Sxp=2.955
    
```

S10-4 There is evidence that the means are different. $p < .05$. (Lower screen shown on right side)

Regression and correlation T test

With 95% confidence, is there a correlation between verbal and math scores in SAT tests? Average verbal (L1) and math (L2) SAT scores from 6 states are listed.

STAT EDIT

L1	L2	L3	L4	L5	L6
526	530				
504	522				
594	606				
585	588				
503	517				
589	589				

S10-5 Enter values.

STAT CALC pick 4

```

LinReg(ax+b)
Xlist:L1
Ylist:L2
FreqList:
Store RegEQ:Y1
Calculate
    
```

S10-6 Enter the lists and Y1 equation.

```

LinReg
y=ax+b
a=.900
b=63.472
r²=.980
r=.990
    
```

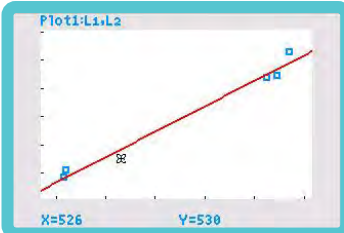
S10-7 Equation coefficients. r value close to 1, indicates strong correlation.

```

Y=
Plot1 Plot2 Plot3
Y1=9X+63.472
Y2=
Y3=
Y4=
Y5=
Y6=
Y7=
Y8=
Y9=
    
```

S10-8 Linear equation.

TRACE



S10-9 Scatter and linear plot. (Follow steps similar to S01-9...)

STAT TEST pick F

```

EDIT CALC TESTS
0↑2-SampTInt...
A:1-PropZInt...
B:2-PropZInt...
C:χ²-Test...
D:χ²GOF-Test...
E:2-SampFTest...
F:LinRegTTest...
G:LinRegTInt...
H:ANOVA(
    
```

S10-10 Select linear regression t test.

```

LinRegTTest
Xlist:L1
Ylist:L2
Freq:1
B & P:≠0 <0 >0
RegEQ:Y1
Calculate
    
```

S10-11 Enter lists and Y1 equation. Hypothesis $p = 0$, would indicate no correlation.

```

LinRegTTest
y=a+bx
B≠0 and P≠0
t=13.939
df=4.000
p=1.536E-4
a=63.472
b=.900
s=6.321
r²=.980
r=.990
    
```

S10-12 The hypothesis is rejected. $p < .05$. There is a correlation between verbal and math scores.

Geometric distribution

A basketball star player has an average of 58% on free throws. A) What is the probability that he will score on the fourth throw (not on the first 3)? B) What is the probability of scoring ONCE in the four throws?

2ND DISTR

VARS pick E

```

DISTR DRAW
0↑χ²cdf(
9:Fpdf(
0:Fcdf(
A:binompdf(
B:binomcdf(
C:poissonpdf(
D:poissoncdf(
E:geometpdf(
F:geometcdf(
    
```

S10-13 On the DISTR menu, choose the geometric p distribution.

```

geometpdf
p:0.58
x value:4
Paste
    
```

S10-14 Enter the values.

```

geometpdf(0.58,4)
.....04297104
    
```

S10-15 The probability of scoring on the fourth throw is 4.3%.

```

geometcdf(0.58,4)
.....96888304
    
```

S10-16 Choose DISTR F. The probability of scoring once in four throws is 97%.

Poisson probability distribution

An insurance agency receives an average of 3 car accident claims a month. What is the probability of getting A) exactly 5 claims in one month, B) exactly 1 claim in two months?

2ND DISTR pick C

```
DISTR DRAW
8:χ²cdf(
9:Fpdf(
0:Fcdf(
A:binompdf(
B:binomcdf(
C:poissonpdf(
D:poissoncdf(
E:geometpdf(
F:geometcdf(
```

S11-1 Select poissonpdf.

```
poissonpdf
λ:3
x value:5
Paste
```

S11-2 Enter values.

```
PoissonPdf(3,5)
.....10082
```

S11-3 The probability of 5 claims in one month is 10.1%.

```
PoissonPdf(6,1)
.....01487
```

S11-4 The probability of 1 claim in two months is 1.5%. ($\lambda = 3 \cdot 2 = 6$)

Poisson cumulative distribution

On the same problem above, what is the probability of receiving A) less than 2 claims in one month, B) 7 or more claims in three months?

2ND DISTR pick D

```
DISTR DRAW
8:χ²cdf(
9:Fpdf(
0:Fcdf(
A:binompdf(
B:binomcdf(
C:poissonpdf(
D:poissoncdf(
E:geometpdf(
F:geometcdf(
```

S11-5 Select poissoncdf.

```
Poissoncdf
λ:3
x value:1
Paste
```

S11-6 Enter values.

```
Poissoncdf(3,1)
.....19915
```

S11-7 The probability of less than 2 claims in a month is 19.9%.

```
Poissoncdf(9,6)
1-.20678
.....79322
```

S11-8 The probability of 7 or more claims in 3 months is 79.3%.

χ^2 test for population σ

A national bank says the standard deviation of customer waiting times should be no more than 3 minutes. On a bank branch a sample of 25 customers shows $\sigma = 4$ minutes. At $\alpha = 0.05$, is this unusual?

2ND DISTR pick 8

```
(25-1)4²
3²
.....42.667
```

S11-9 Use the formula $\chi^2 = (n-1)s^2/\sigma^2$

```
DISTR DRAW
1:normalpdf(
2:normalcdf(
3:invNorm(
4:invT(
5:tpdf(
6:tcdf(
7:χ²pdf(
8:χ²cdf(
9:Fpdf(
```

S11-10 Choose χ^2 cumulative distribution.

```
χ²cdf
lower:0
upper:42.667
df:24
Paste
```

S11-11 Enter the χ^2 and degrees of freedom.

```
χ²cdf(0,42.667,24)
1-.989
.....011
```

S11-12 P value is $0.011 < \alpha$. Therefore the branch waiting time standard deviation is unusual.

Hypergeometric distribution

A class of 18 boys and 11 girls wants to set a committee of 3 students selected at random. What are the probabilities of selecting a) no girls, b) one girl, c) two girls or d) three girls.

ALPHA STATPLOT F1 pick 1

ALPHA TABLESET F2 pick 8

```
1:abs(
2:summation Σ(
3:nDeriv(
4:fnInt(
5:logBASE(
6:×I
7:nPr
8:nCr
9:↓
[FRAC] [FUNC] [MTRX] [YVAR]
```

S11-13 Select the fraction and combination templates, as shown.

```
C₂*₁₈C₃
C₃
```

S11-14 The product of two combinations over one.

```
11C₀*₁₈C₃
29C₃
.....223
11C₁*₁₈C₂
29C₃
.....461
```

S11-15 Fill the values. P(no girls)=0.223, P(one girl)=0.461.

```
11C₂*₁₈C₁
29C₃
.....271
11C₃*₁₈C₀
29C₃
.....045
```

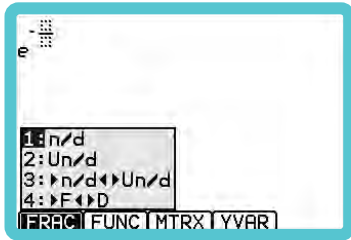
S11-16 P(two girls)=0.271, P(three girls)=0.045.

Exponential probability distribution

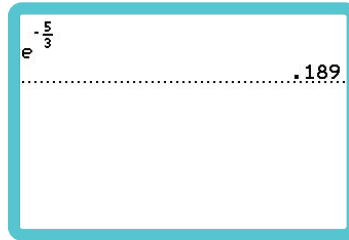
A brand of light bulbs has a mean life of 3 months. What is the probability that it will last: a) more than 5 months? b) less than 2 months c) between 4 and 7 months?

S12

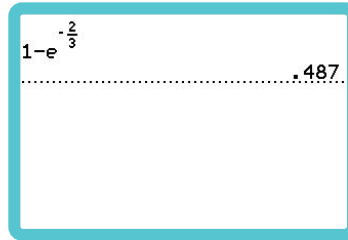
2ND e^x ALPHA STATPLOT F1
LN Y= pick 1



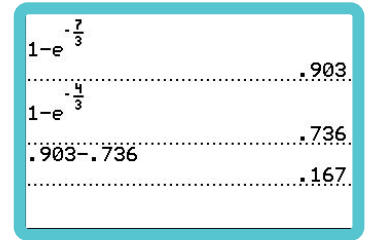
S12-1 Use the formula:
 $P(x) = e^{-(x/\mu)}$



S12-2 Enter values. Probability that it will last more than 5 months is 19%.



S12-3 The probability of lasting less than 2 months is 49%.

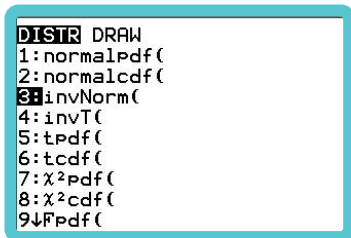


S12-4 The probability of lasting between 4 and 7 months is 17%.

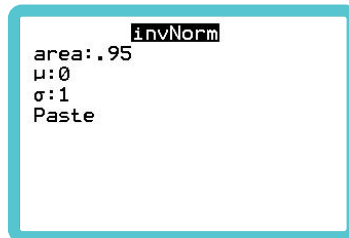
Sample size for population proportion estimate

A previous estimate shows 28% of adult men ride motorcycles. a) How many should be sampled to estimate the population proportion with 90% confidence and 5% error? b) If there was no previous estimate?

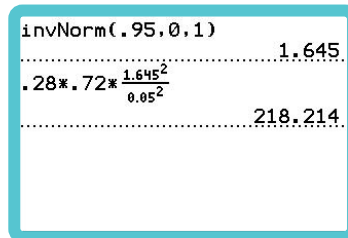
2ND DISTR VARS pick 3



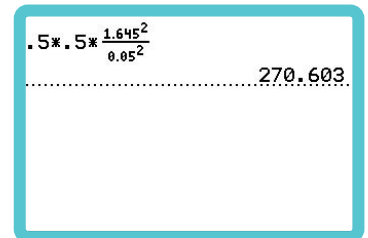
S12-5 To find the z value select the invNorm distribution.



S12-6 Area = 0.95 (1 tail)



S12-7 Use the formula: $p \cdot q \cdot (z/E)^2$. Sample 219 men.

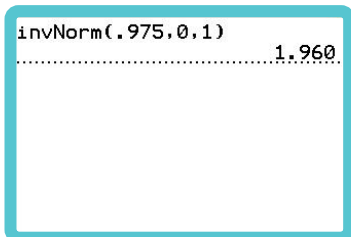


S12-8 For unknown p, use $p = 0.5$. Sample 271 men.

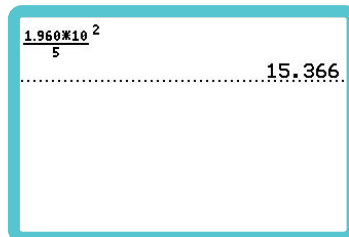
Sample size for population estimate

A large company wants to determine their employee's average commuting time. Known $\sigma = 10$ minutes. What sample size should be used to estimate it with a) 95% confidence and 5 minutes margin of error? b) 98% and 3 minutes?

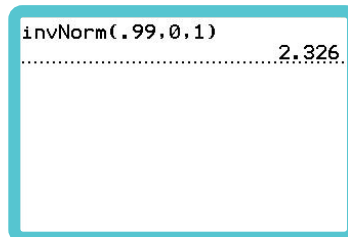
2ND DISTR VARS pick 3



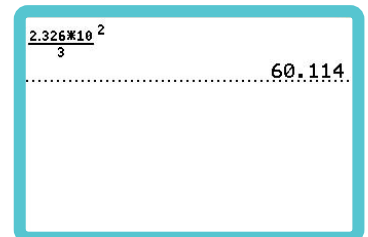
S12-9 Find the z value for 95% confidence. Area = 0.975 (1 tail).



S12-10 Use the formula: $n = (z \cdot \sigma / E)^2$. Sample 16 employees.



S12-11 Find the z value for 98% confidence. Area = 0.99



S12-12 Sample 61 employees.

Financing a car

A new car's price is \$15,200. What are the monthly payments if the interest rate is 5.5% and the car is to be paid in 3 years. Display the results on a graph and table.

APPS FINANCE, pick 1

```

CALC VARS
1:TVM Solver...
2:tvm_Pmt
3:tvm_I%
4:tvm_PV
5:tvm_N
6:tvm_FV
7:npv(
8:irr(
9↓bal(
    
```

F01-1 Select finance and TVM solver.

```

N=0.00
I%=0.00
PV=0.00
PMT=0.00
FV=0.00
P/Y=1.00
C/Y=1.00
PMT:END BEGIN
    
```

F01-2 TVM solver screen.

```

N=36
I%=5.5
PV=15200
PMT=0
FV=0
P/Y=12
C/Y=12
PMT:END BEGIN
    
```

F01-3 Enter the values. Leave payment and future values at 0.

PMT ENTRY SOLVE

```

N=36.00
I%=5.50
PV=15200.00
PMT=-458.98
FV=0.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-4 Move cursor to PMT and solve. The monthly payment is \$458.98.

MODE

```

MATHPRIM CLASSIC
NORMAL SCI ENG
FLOAT 0 1 2 3 4 5 6 7 8 9
RADIAN DEGREE
FUNCTION PARAMETRIC POLAR SEQ
THICK DOT-THICK THIN DOT-THIN
SEQUENTIAL SIMUL
REAL a+bt re^(ct)
FULL HORIZONTAL GRAPH-TABLE
FRACTION TYPE DND Un/d
ANSWERS: DND DEC FRAC-APPROX
GO TO 2ND FORMAT GRAPH: NO YES
STAT DIAGNOSTICS: OFF ON
STAT WIZARDS: ON OFF
SET CLOCK 05/14/14 8:50AM
    
```

F01-5 Set mode to parametric and graph-table.

Y= X,T,θ,n

```

Plot1 Plot2 Plot3
■ X1T ET
Y1T bal(T)
■ X2T =
Y2T =
■ X3T =
Y3T =
■ X4T =
Y4T =
■ X5T =
Y5T =
    
```

F01-6 Enter values as shown. "bal(" is on Finance... CALC-9, see F01-1 above.

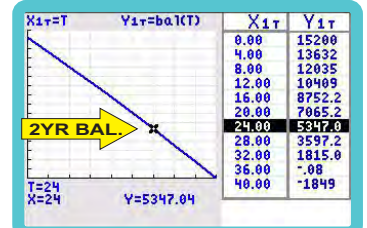
WINDOW

```

WINDOW
Tmin=0
Tmax=36
Tstep=4
Xmin=0
Xmax=36
Xscl=4
Ymin=0
Ymax=16000
Yscl=10000
    
```

F01-7 Enter window settings as shown.

TRACE



F01-8 Plot and balance table at 4 month intervals.

Compound interest

What are the monthly payments if you want to accumulate \$500,000 in 40 years at 6% interest? Show a plot and table, and determine the value in 30 years.

APPS FINANCE, pick 1

```

N=480.00
I%=6.00
PV=0.00
PMT=0
FV=-500000.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-9 Enter values. Leave PV and PMT at 0.

PMT ENTRY SOLVE

```

N=480.00
I%=6.00
PV=0.00
PMT=249.82
FV=-500000.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-10 Solve for payment.

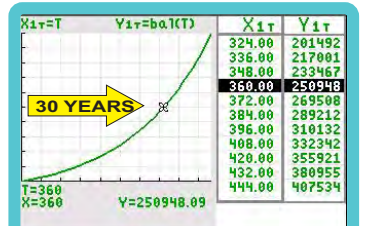
WINDOW

```

WINDOW
Tmin=0
Tmax=480
Tstep=12
Xmin=0
Xmax=480
Xscl=50
Ymin=0
Ymax=500000
Yscl=50000
    
```

F01-11 Window settings.

TRACE



F01-12 Plot and accumulated value table.

Annuity - Savings

A) An annuity is funded with \$300,000 at an interest rate of 4.5%. For how many years will it provide \$1,800 monthly payments until the fund is exhausted? B) What is the value of \$2,500 at 6.5% after 8 years?

APPS FINANCE, pick 1

```

N=0
I%=4.50
PV=300000.00
PMT=-1800.00
FV=0.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-13 Enter data.

N ENTRY SOLVE

```

N=260.39
I%=4.50
PV=300000.00
PMT=-1800.00
FV=0.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-14 Solve for the number of periods.

APPS FINANCE, pick 1

```

N=96.00
I%=6.50
PV=-2500.00
PMT=0.00
FV=0
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-15 Enter data.

FV ENTRY SOLVE

```

N=96.00
I%=6.50
PV=-2500.00
PMT=0.00
FV=4199.17
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
    
```

F01-16 Solve for future value.

Cash flow calculation

A business reports the following cash in and out transactions over equal time periods: -2100, -2000, 1000, -2500, 0, 5000, 3000. Calculate the npv (net present value) at $i = 6\%$ and the irr (internal rate of return).

F02

MODE

```
MATHPRINT CLASSIC
NORMAL SCI ENG
FLOAT 0 1 2 3 4 5 6 7 8 9
RADIAN DEGREE
FUNCTION PARAMETRIC POLAR SEQ
THICK DOT-THICK THIN DOT-THIN
SEQUENCE SIMUL
REAL a+bi re^(θi)
FULL HORIZONTAL GRAPH-TABLE
FRACTION TYPE: F/D Un/d
ANSWERS: AUTO DEC FRAC-APPROX
GO TO 2ND FORMAT GRAPH: NO YES
STAT DIAGNOSTICS: OFF ON
STAT WIZARDS: ON OFF
SET CLOCK 06/11/14 11:16AM
```

F02-1 On Mode, select classic style.

STAT EDIT

L1	L2	L3	L4	L5	1
-2000					
1000.0					
-2500					
0.00					
5000.0					
3000.0					

L1(7)=					

F02-2 On L1, enter the transactions except the first one.

APPS FINANCE, pick 1, 7

```
npv(6, -2100, L1)
..... 655.33
```

F02-3 Enter the interest, the first transaction and L1.

APPS FINANCE, pick 1, 8

```
irr(-2100, L1)
..... 9.08
```

F02-4 Enter the first transaction and L1. 9.08 is the interest at which the present value is zero.

Amortization

A house costing \$125,000 is amortized for 30 years at 4.5% interest. Show the plot and table. Calculate the following:
 a) The monthly payments.
 b) The balance in 20 years.
 c) The sum of the contributions to the principal during the 19th year.
 d) The total interest paid during the 30 years.

ALPHA ENTRY SOLVE

APPS 1 PMT

ENTER

APPS 1-9-A-B

TRACE

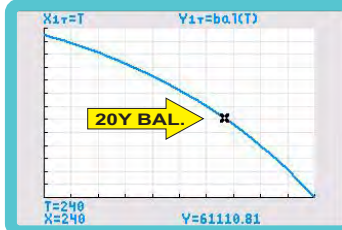
2ND TABLE F5 GRAPH

```
N=360.00
I%=4.50
PV=125000.00
PMT=-633.36
FV=0.00
P/Y=12.00
C/Y=12.00
PMT:END BEGIN
```

F02-5 Solve for payment, \$633.36.

```
bal(240)
..... 61110.81
ΣPrn(228,240)
..... -5119.15
ΣInt(1,360)
..... -103007.02
```

F02-6 Enter the payment numbers on each function. Balance at 20 years, \$61,110.81. 19th year contribution to principal, \$5,119.15. Total interest paid, \$103,007.02.



F02-7 Follow similar steps as F01-5...

T	X1T	Y1T			
235.00	235.00	63109			
236.00	236.00	62713			
237.00	237.00	62314			
238.00	238.00	61915			
239.00	239.00	61513			
240.00	240.00	61111			
241.00	241.00	60707			
242.00	242.00	60301			
243.00	243.00	59894			
244.00	244.00	59485			
245.00	245.00	59075			

T=240

F02-8 Table set to start at 235, $\Delta T = 1$.